

NAME _____

WORKSHOP 9B: Vapor Pressure

Section _____

The stronger the intermolecular forces that exist between liquid molecules, the less likely they will escape into the vapor phase. Boiling point (which you explored in Workshop #11) and vapor pressure are both good measures of intermolecular forces. In the following problem set, you will analyze some provided “experimental” data in order to calculate the vapor pressure of a liquid.

Vapor pressure is defined as the pressure of a vapor that is in equilibrium with its liquid. It is controlled by 2 factors:

1. temperature – the higher the temperature, the greater kinetic energy the liquid molecules possess; therefore, they vaporize more readily, hence increasing the vapor pressure.
2. molar heat of vaporization, ΔH_{vap} – the energy required to change a liquid to a gas at its boiling point. The stronger the intermolecular forces, the harder it is to pull liquid molecules apart, and therefore the higher its ΔH_{vap} , which decreases its vapor pressure.

The Clausius-Clapeyron Equation relates the three quantities vapor pressure, ΔH_{vap} , and temperature according to the equation:

$$\ln VP = -\frac{\Delta H_{\text{vap}}}{RT} + B$$

Notice this equation fits the slope-intercept form $y = mx + b$, so if $\ln VP$ is plotted against $1/T$, a straight line results with $-\Delta H_{\text{vap}}/R$ as the slope. You will use this equation and the provided “experimental” data to calculate an unknown liquid’s ΔH_{vap} and its boiling point at a particular temperature. Consider the following:

	Temperature, t, (in °C)	Heights of Manometer Mercury Levels (in mm)		Vapor Pressure (in mmHg or torr)
		<u>open to atm</u>	<u>atm + VP trapped on gas side</u>	
1.	1.2	250	228	_____
2.	21.1	265	205	_____
3.	40.0	297	142	_____
4.	Boiling Point: 76 °C	Barometric Pressure: 752 torr		

Now fill in the following table to prepare for the graph:

t, °C	T, Kelvin	1/T, K ⁻¹	VP, mmHg	ln VP
1.2				
21.1				
40.0				

Graph ln VP vs. 1/T on Microsoft Office Excel[®]. According to the Clausius-Clapeyron equation, the slope is equal to $-\Delta H_{\text{vap}}/R$. Using $R = 8.314 \times 10^{-3} \text{ kJ/mole-K}$, calculate ΔH_{vap} for the liquid:

$$\text{slope} = \Delta y/\Delta x = \Delta(\ln \text{VP})/\Delta(1/T) = \underline{\hspace{2cm}} = -\Delta H_{\text{vap}}/R \text{ (rearrange to solve for } \Delta H_{\text{vap}})$$

SHOW CALCULATION:

Therefore, $\Delta H_{\text{vap}} = \underline{\hspace{2cm}} \text{ kJ/mole}$

From the graph, you can also calculate what the liquid's boiling point should be at the "experimental" barometric pressure. Recall that boiling point is the temperature where the vapor pressure is equal to the atmospheric pressure.

"Experimental" barometric pressure mmHg
(= the VP needed for boiling)

ln (barometric pressure)

1/T at this vapor pressure K⁻¹ (from the graph)

T at this pressure K

t at this pressure °C (= the predicted boiling point)

"Experimental" boiling point °C

Make sure to submit your properly labeled graph when submitting this Workshop!